

# A FRAMEWORK FOR STABLE GEOMETRIC SPECTRAL METHODS

**Arieh Iserles**

University of Cambridge, United Kingdom

ai@maths.cam.ac.uk

Spectral methods are extraordinarily powerful for boundary-value problems with regular boundary conditions and ‘nice’ geometries, more problematic for initial-value problems because of stability issues. In this talk we briefly review a recent theory of T-functions and W-functions, whereby evolutionary PDEs can be discretised stably in different geometries and while conserving, as necessary, the  $L_2$  norm. We also discuss the conservation of the Hamiltonian in this setting.

*Joint work with Marcus Webb (University of Manchester, UK) and Jing Gao (Jia-Tong University, X’ian, China).*